

Volume-Density-Driven Star Formation in the Galaxy

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Stellar Feedback and Cluster Evolution

- **Stellar feedback responsible for expelling the residual star-forming gas out of embedded star clusters**
- **At what stage of cluster development does it happen? On what time-scale?**
 - **Numerous parameters involved**
 - **Nature of the feedback: protostellar outflows, stellar winds, ionizing radiations, Type II Supernovae, ...**
 - **Stellar IMF sampling at high mass, embedded-cluster mass**
 - **Depth of the gravitational potential well**
 - **...**
- **Stellar feedback modelling requires cluster formation modelling**
- **Talks at this Symposium (e.g. **Rahner's talk**)**





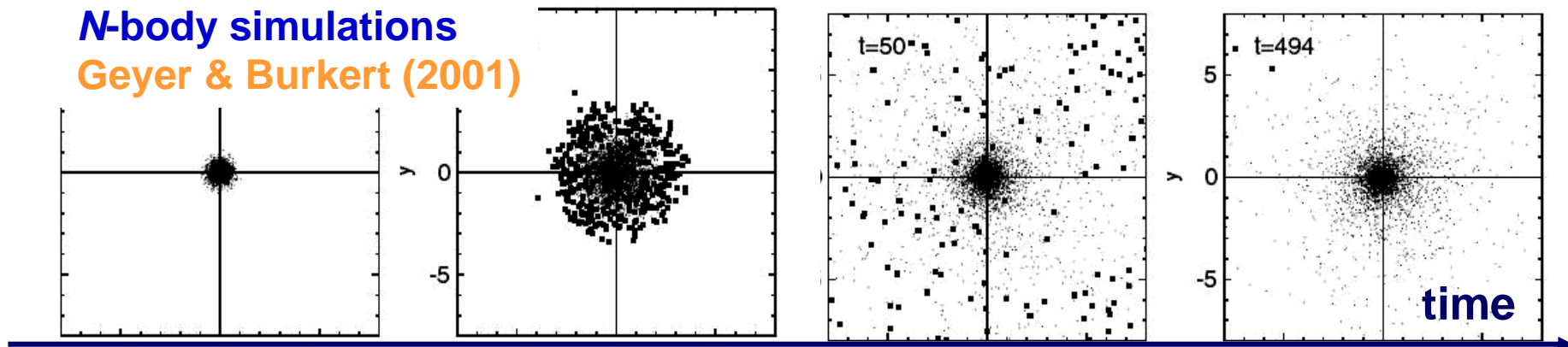
Post-Gas-Expulsion Cluster Evolution

➤ **Dynamical response** of a star cluster to the expulsion of its residual star-forming gas

- Cluster expansion
- Star loss, or complete cluster dissolution

N-body simulations

Geyer & Burkert (2001)



➤ Cluster mass-loss and expansion depend on:

- Global star formation efficiency (*Hills 1980*)
- Gas expulsion time-scale (*Lada+ 1984*)
- Star-cluster dynamical state (*Goodwin 2009*)
- Star-cluster environment (e.g. tidal field, *Renaud+ 2008*)
- ...



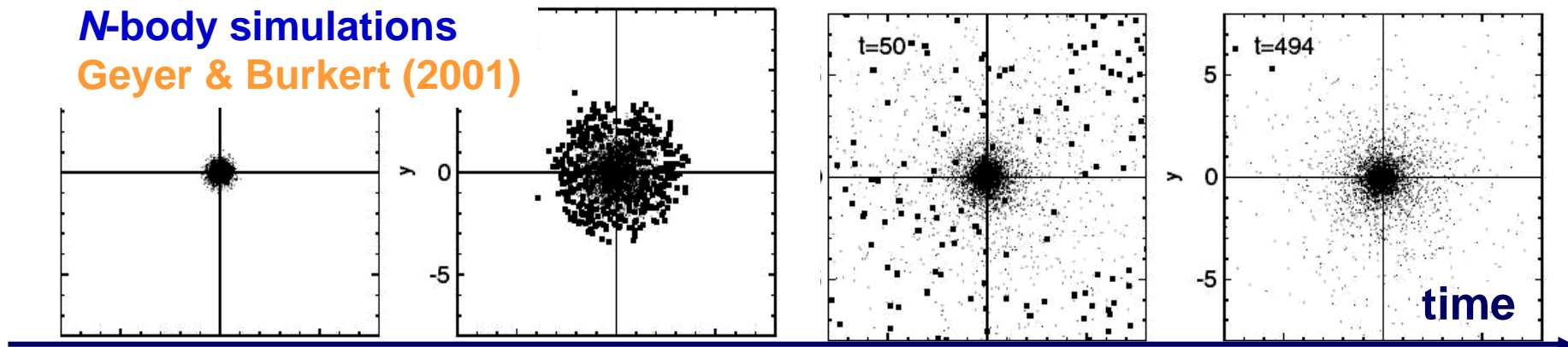
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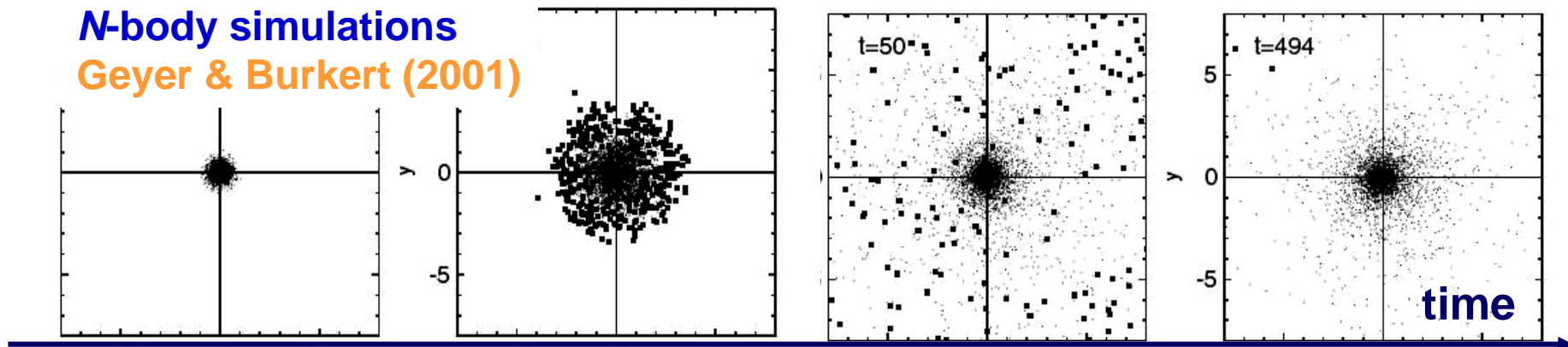
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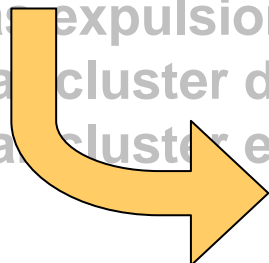
N-body simulations

Geyer & Burkert (2001)



➤ Cluster mass-loss and expansion depend on:

- **Global star formation efficiency** (*Hills 1980*)
- Gas expulsion time-scale (*Lada & Lada 1984*)
- Star cluster density
- Star cluster energy
- ...



How are the gas and stars of a nascent cluster distributed with respect to each other at gas expulsion?





SFE Radial Profile inside a Forming Cluster

- Knowledge of the global star formation efficiency is not enough
- How are the gas and stars of a nascent cluster distributed with respect to each other at gas expulsion? **A** or **B** ?

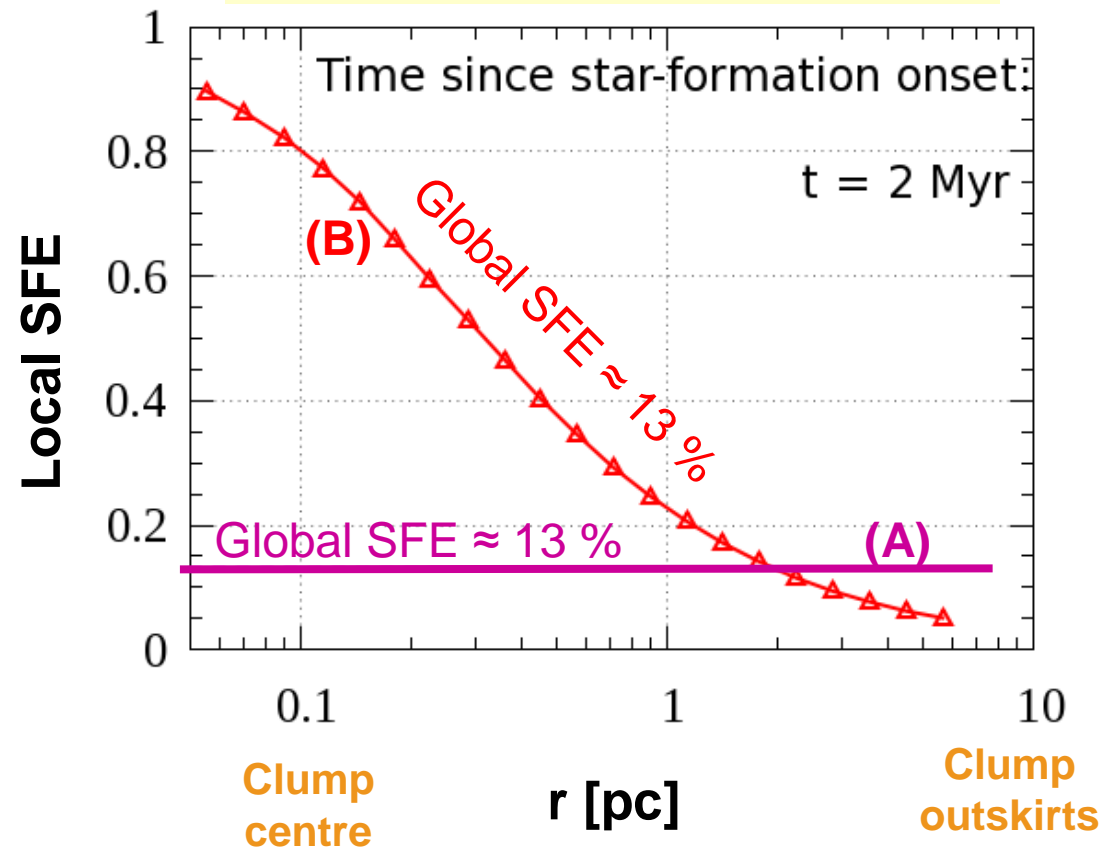
- Clump of molecular gas

A. Is the gas converted into stars in a uniform manner?

B. Is star formation more efficient in the central regions of the protocluster?

➡ **Helps cluster survival**

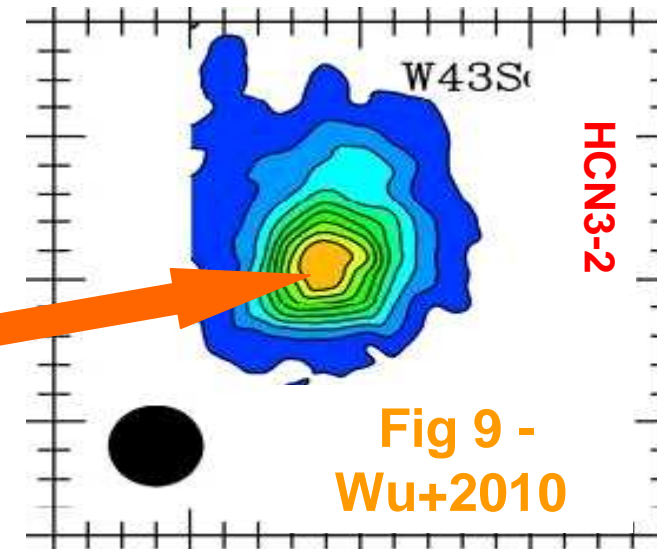
Parmentier & Pfalzner 2013, Fig10





Scenario A or B? Insights from Theory

- Cluster-forming molecular clumps have volume density gradients
- Therefore, their inner regions
 - Are denser
 - Have a shorter free-fall time



- For a constant star formation efficiency per free-fall time, ϵ_{ff} (Krumholz & McKee 2005), clump inner regions experience faster star formation

- $SFE_{inner} \gg SFE_{outskirts}$
- Scenario B expected

Free – fall time :

$$\tau_{ff} = \sqrt{\frac{3\pi}{32 G \rho_{gas}}}$$

➤ Denser

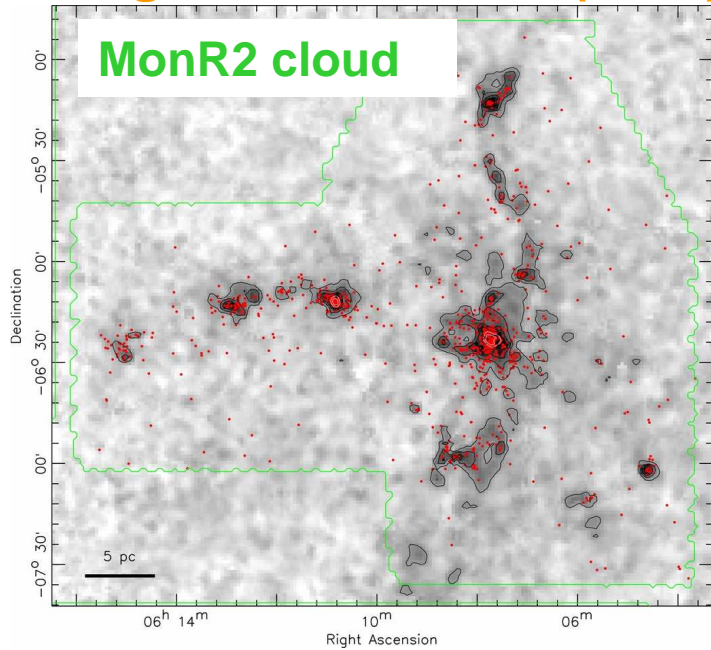
➤ Faster





Scenario A or B? Insights from Observations

Fig. 1, Gutermuth+ (2011)

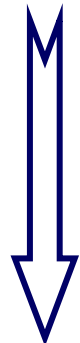


Molecular clouds in the Solar neighbourhood:

➔ **The local star formation efficiency depends on gas density**

➔ **Scenario B expected**

$$\Sigma_{YSO} \propto \Sigma_{gas}^2$$



$$\Sigma_{gas} \propto \frac{\Sigma_{YSO}}{\Sigma_{gas}} \propto \epsilon_{2D}$$

Σ_{YSO}

$(M_{\odot} pc^{-2})$

Σ_{YSO}

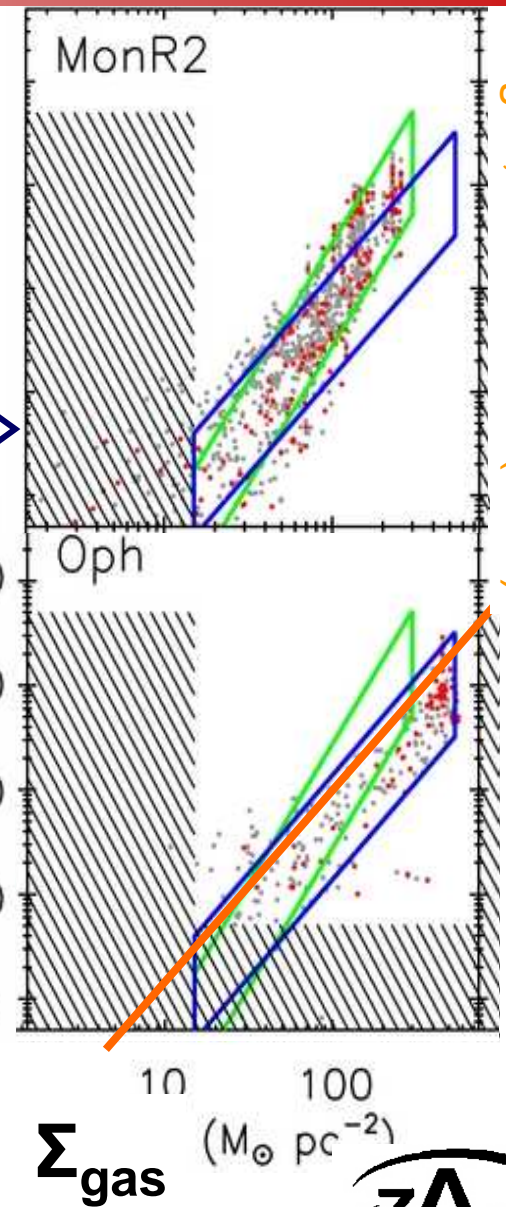


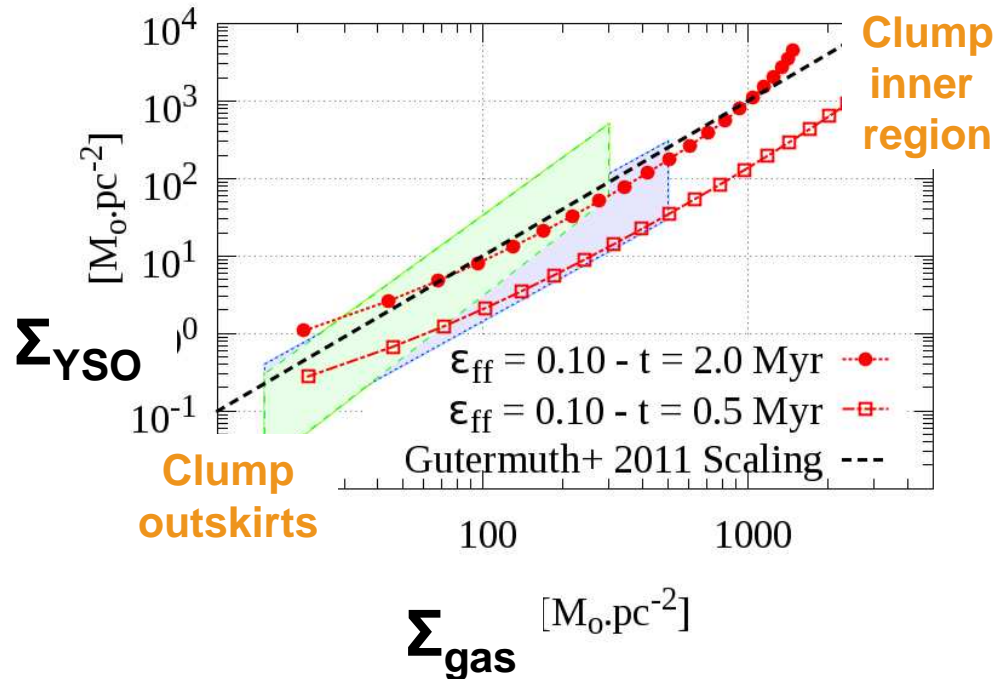
Fig. 9, Gutermuth+ (2011)





Star Formation Relation and SFE Radial Variations

Centrally - concentrated clump : $\rho_{clump}(r) \propto r^{-2}$



Local Star Formation Relation:

Superlinear / Quadratic

See also Lombardi+2013, Lada+2013

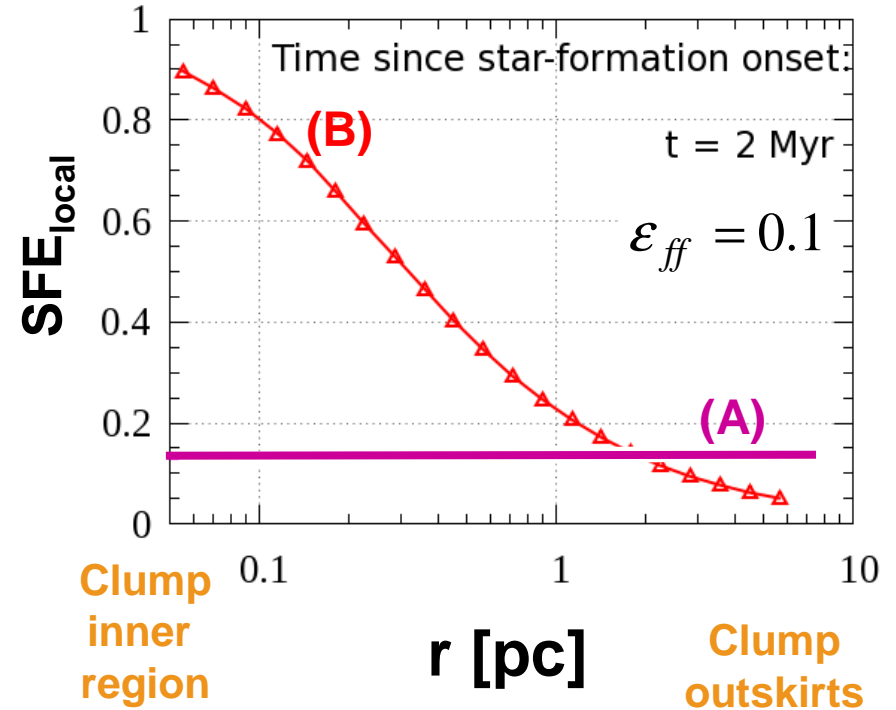
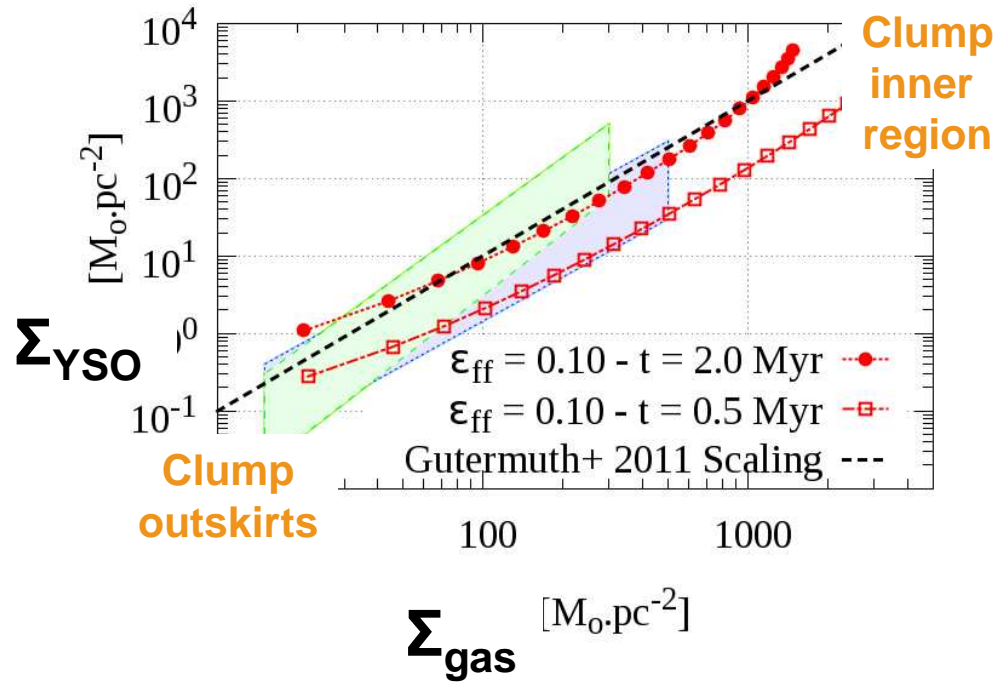
Figs 3 and 10, Parmentier & Pfalzner (2013)





Star Formation Relation and SFE Radial Variations

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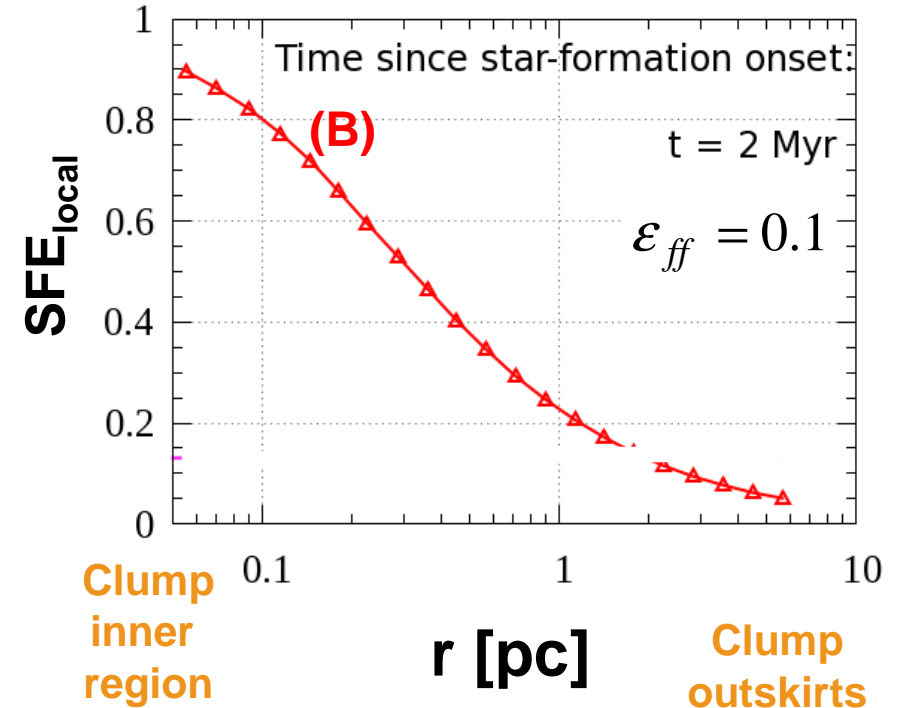
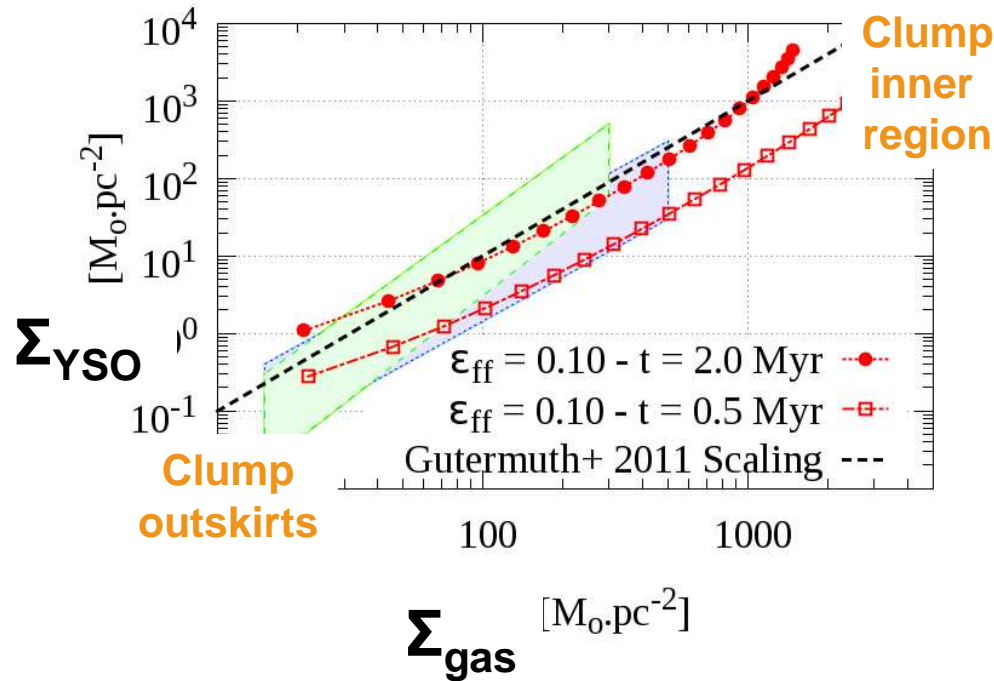
Figs 3 and 10, Parmentier & Pfalzner (2013)





Star Formation Relation and SFE Radial Variations

Centrally - concentrated clump : $\rho_{clump}(r) \propto r^{-2}$



Local Star Formation Relation:

Superlinear / Quadratic

See also Lombardi+2013, Lada+2013

Local star formation efficiency :

$SFE_{\text{local}}(\text{inner}) > SFE_{\text{local}}(\text{outer})$

Figs 3 and 10, Parmentier & Pfalzner (2013)





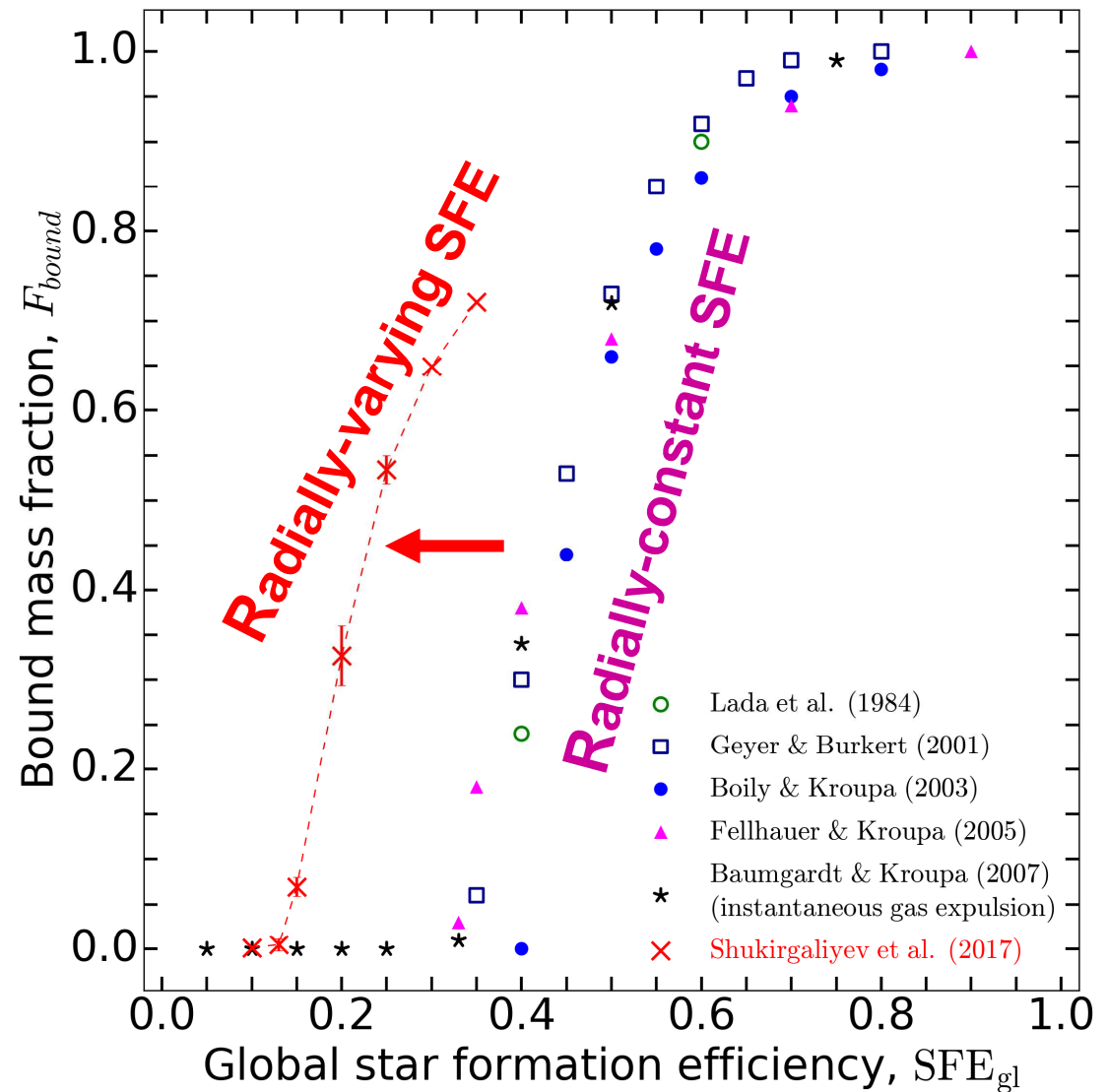
Scenario B – the Rescuer – is the Winner

Cluster survivability is strengthened
(despite tidal-field inclusion!)



Bekdaulet Shukirgaliyev

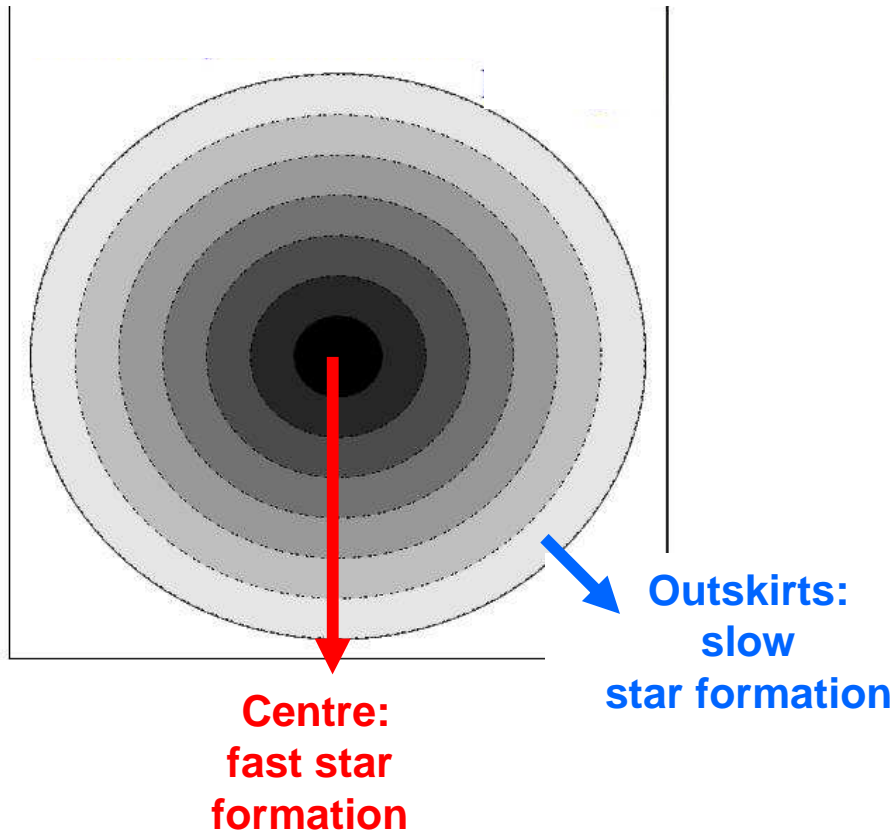
Fig 8a, Shukirgaliyev,
Parmentier, Berczik
& Just 2017



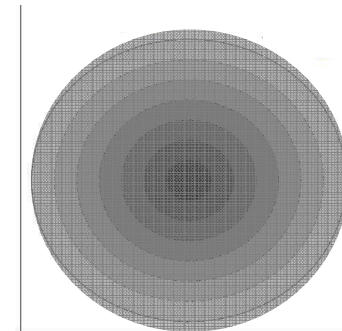


Denser Is Faster – True Locally and Globally

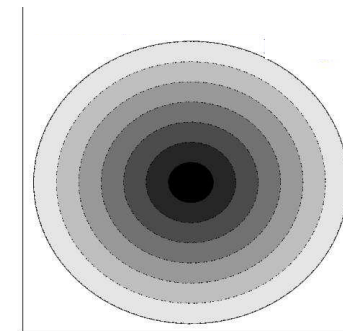
**Local perspective:
Compare inner and outer
regions of a clump**



**Global perspective:
Compare two clumps
with different densities**



**High-density
clump:
fast star
formation**



**Low-density
clump:
slow
star formation**



Denser Is Faster – Cluster Stellar Age Spreads

➤ Clump SFR evolution normalized to initial value

➤ SFR decreases with time

- $M_{\text{gas}}(t)$ decreases
- $\tau_{\text{ff}}(t)$ gets longer

▪ **Luhman (2007)**
Isochronal ages of pre-main sequence stars

▪ **Belloche+ 2011,**
▪ **Hatchell+ 2005**

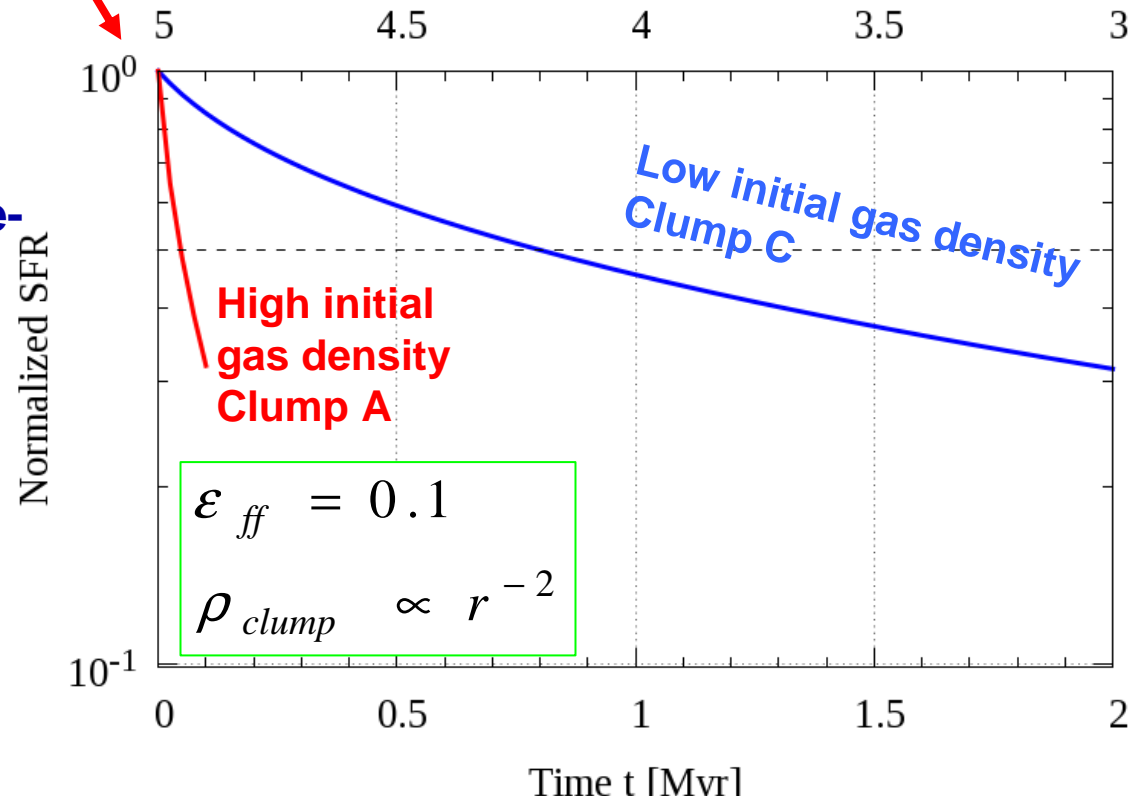
Counting of Class 0, Class I and Class II objects

▪ **Evans+ 2014**
'no obvious evidence for acceleration'

Clump A :
 $\langle \rho \rangle = 10^5 M_{\odot} \cdot \text{pc}^{-3}$
 $\tau_{\text{ff},t=0} = 0.02 \text{ Myr}$

Clump C :
 $\langle \rho \rangle = 10^2 M_{\odot} \cdot \text{pc}^{-3}$
 $\tau_{\text{ff},t=0} = 0.74 \text{ Myr}$

Age [Myr] of stars formed at time t for $t_{\text{obs}} = 5 \text{ Myr}$



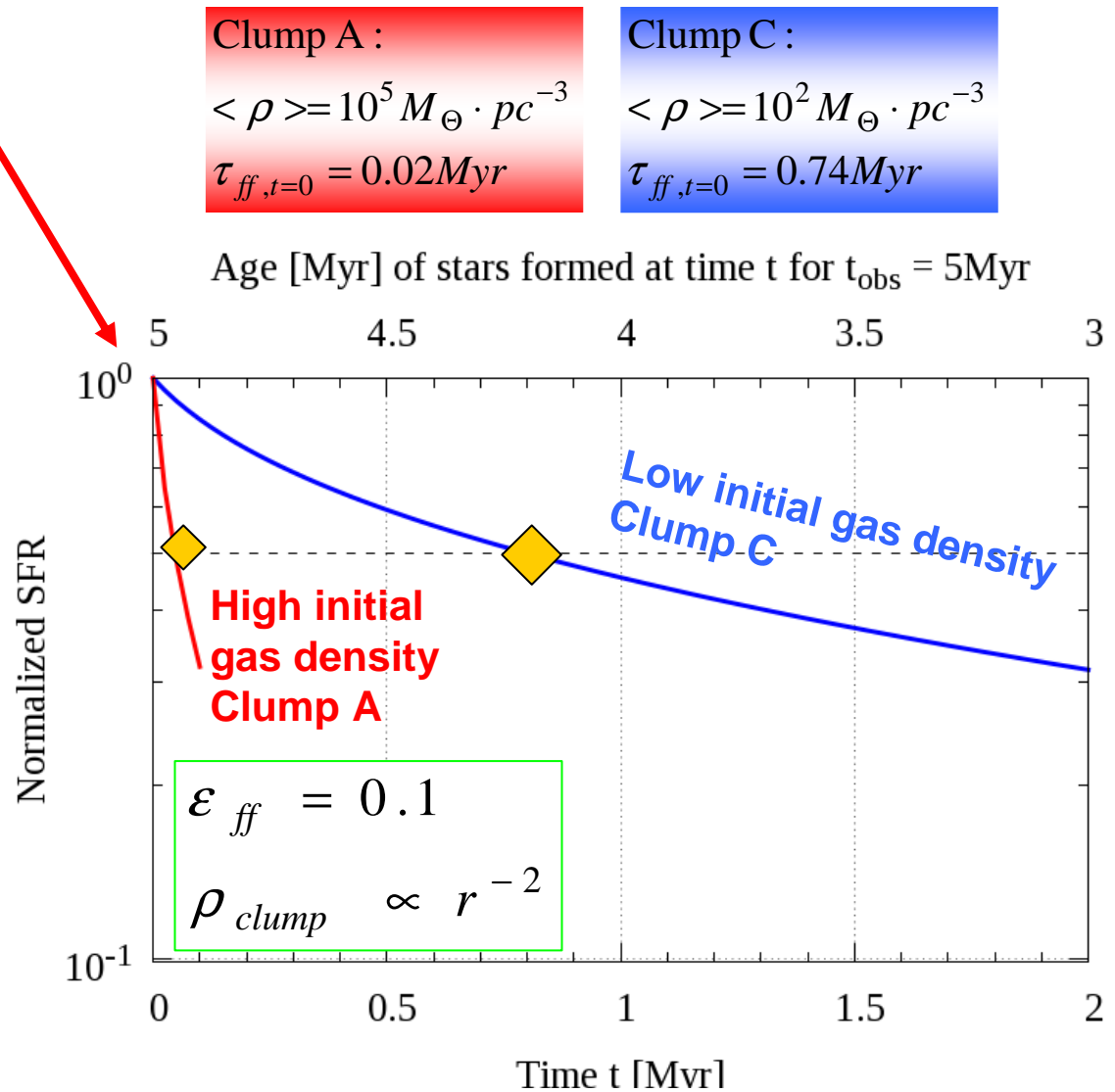
Parmentier, Pfalzner & Grebel (2014), Fig. 3





Denser Is Faster – Cluster Stellar Age Spreads

- Clump SFR evolution normalized to initial value
- SFR decreases with time
 - $M_{\text{gas}}(t)$ decreases
 - $\tau_{\text{ff}}(t)$ gets longer
- Low-density Clump C:
 - slow decrease
 - wide stellar age distribution
- High-density Clump A:
 - steep decrease
 - narrow stellar age distribution
- Stellar age spread = clump density indicator

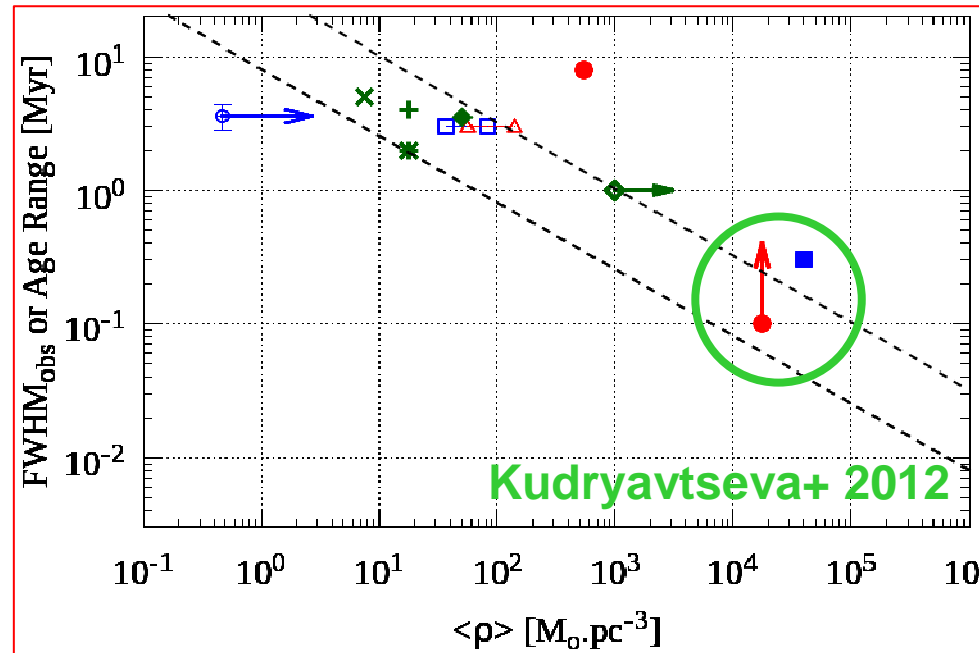


Parmentier, Pfalzner & Grebel (2014), Fig. 3



Stellar Age Spreads: Observations

Observations



Parmentier, Pfalzner & Grebel (2014), Fig 10

- Stellar age spreads in Wd 1 and NGC3603 YC narrower than that of the ONC (Kudryavtseva+ 2012, Reggiani+ 2011): denser is faster



Take-Away Messages

- If star formation proceeds with a constant ϵ_{ff} :
 - Quadratic local star formation relation
Parmentier & Pfalzner (2013)
 - Improved star cluster survival after residual star-forming gas expulsion
Shukirgaliyev+ 2017 (see also Adams 2000)
 - Denser clumps yield clusters with narrower stellar age spreads than low-density clumps
Parmentier, Pfalzner & Grebel (2014)

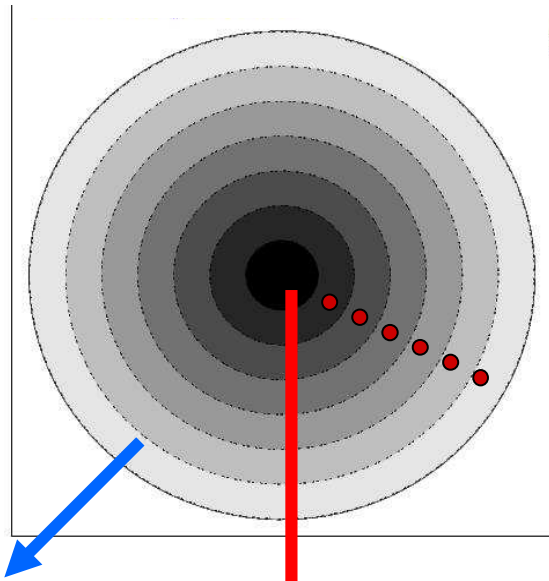


Local SF Relation

Local perspective:

- Contour-by-contour basis
- One clump is enough

Clump distance: e.g. 500 pc



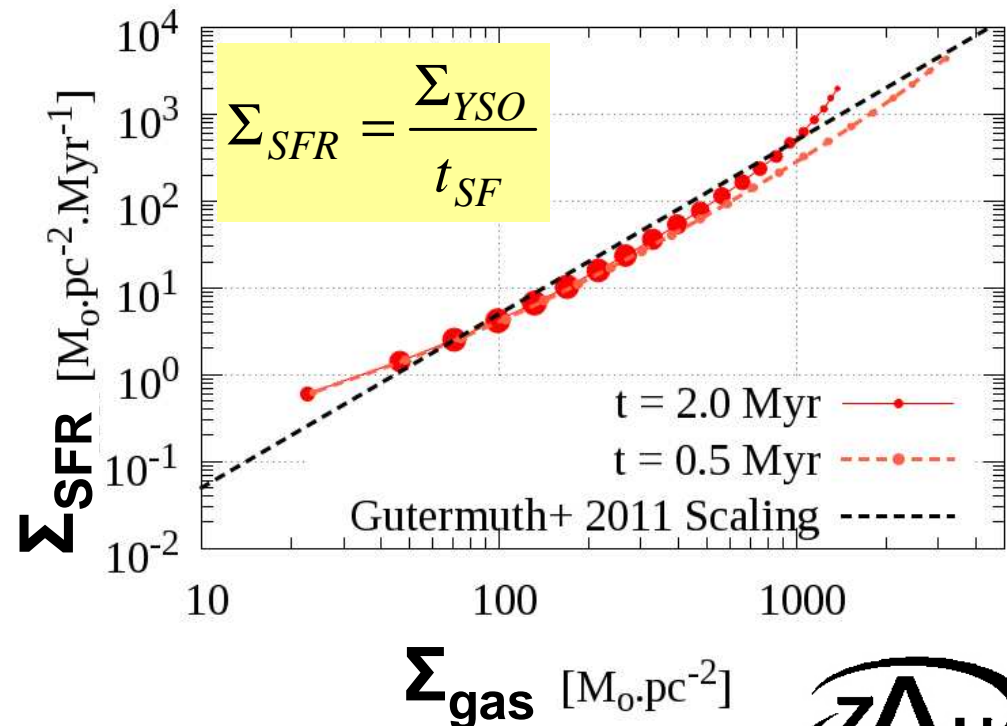
Outskirts:
slow
star
formation

Centre:
fast
star
formation

Local (contour-by-contour) SF relation:

$$\Sigma_{SFR} \propto \Sigma_{gas}^2$$

Slope of 2



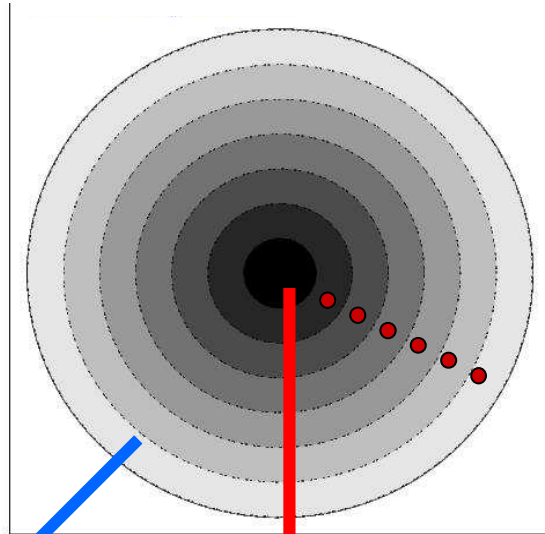


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Global SF Relation

Local perspective:

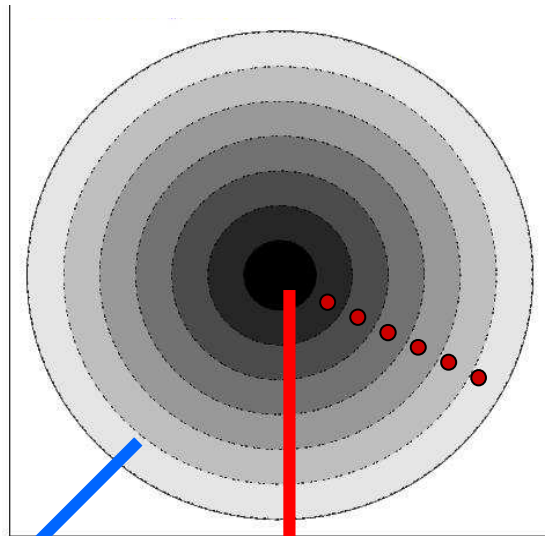
- **Contour-by-contour basis**
- **One clump is enough**

Clump distance: e.g. 5 kpc

$$(\Sigma_{gas}^{glob}, \Sigma_{SFR}^{glob})$$

SFR tracers: e.g.
**Vutisalchavakul
& Evans 2013**

Clump distance: e.g. 500 pc



**Outskirts:
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**Centre:
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Global perspective:

- A population of clumps is needed
- E.g. HCN(1-0) molecular clumps
- To first order: **common free-fall time**





Global SF Relation

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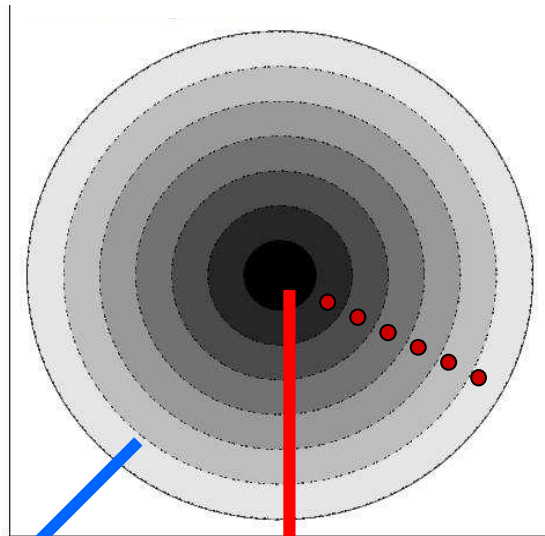
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Global perspective:

- A population of clumps is needed
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Global (clump-by-clump) SF relation:

For one clump :

$$SFR \cong \epsilon_{ff} \frac{m_{gas}}{\tau_{ff}}$$

$$\Sigma_{SFR} \cong \epsilon_{ff} \frac{\Sigma_{gas}}{\tau_{ff}}$$

$$\Sigma_{SFR} \propto \Sigma_{gas}$$

Slope of 1



Global SF Relation

Local perspective:

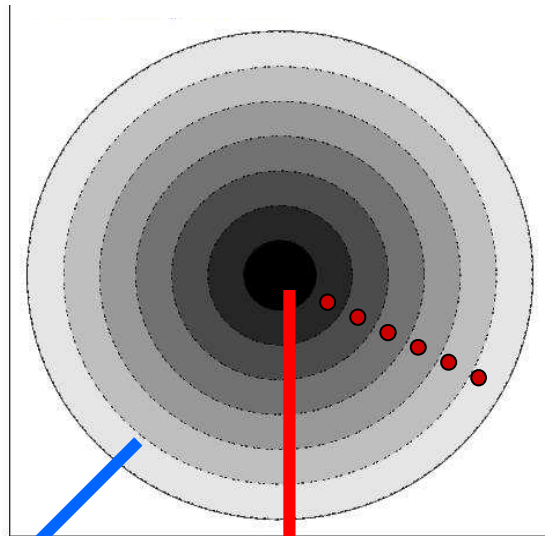
- Contour-by-contour basis
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Clump distance: e.g. 5 kpc

$$(\Sigma_{gas}^{glob}, \Sigma_{SFR}^{glob})$$

SFR tracers: e.g. Vutisalchavakul & Evans 2013

Clump distance: e.g. 500 pc



Outskirts:
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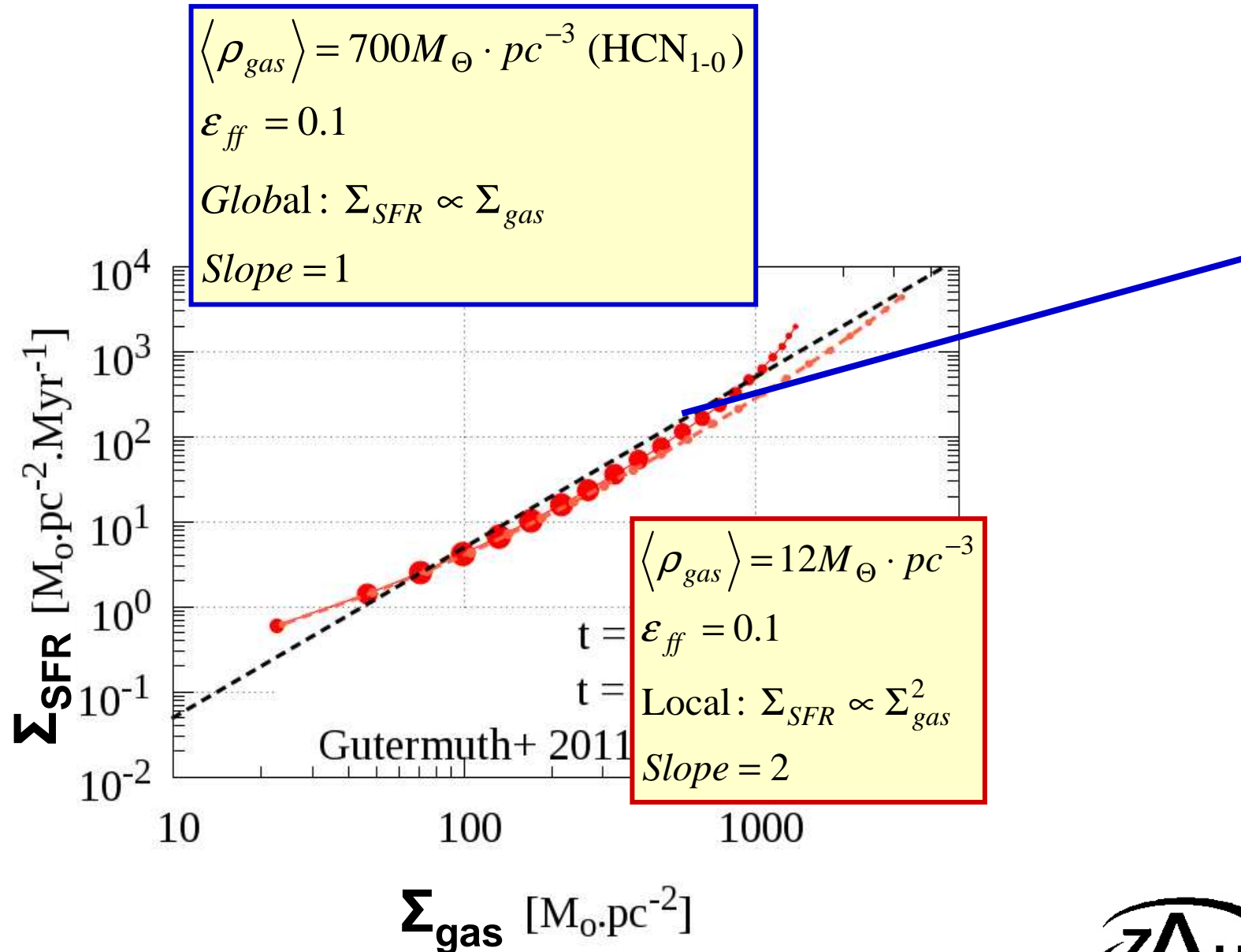
$$\Sigma_{SFR} \cong \epsilon_{ff} \frac{\Sigma_{gas}}{\tau_{ff}}$$

$$\Sigma_{SFR}^{global} \propto \Sigma_{gas}^{global}$$

Slope of 1



Break-Point in Composite SF Relation





Break-Point in Composite SF Relation

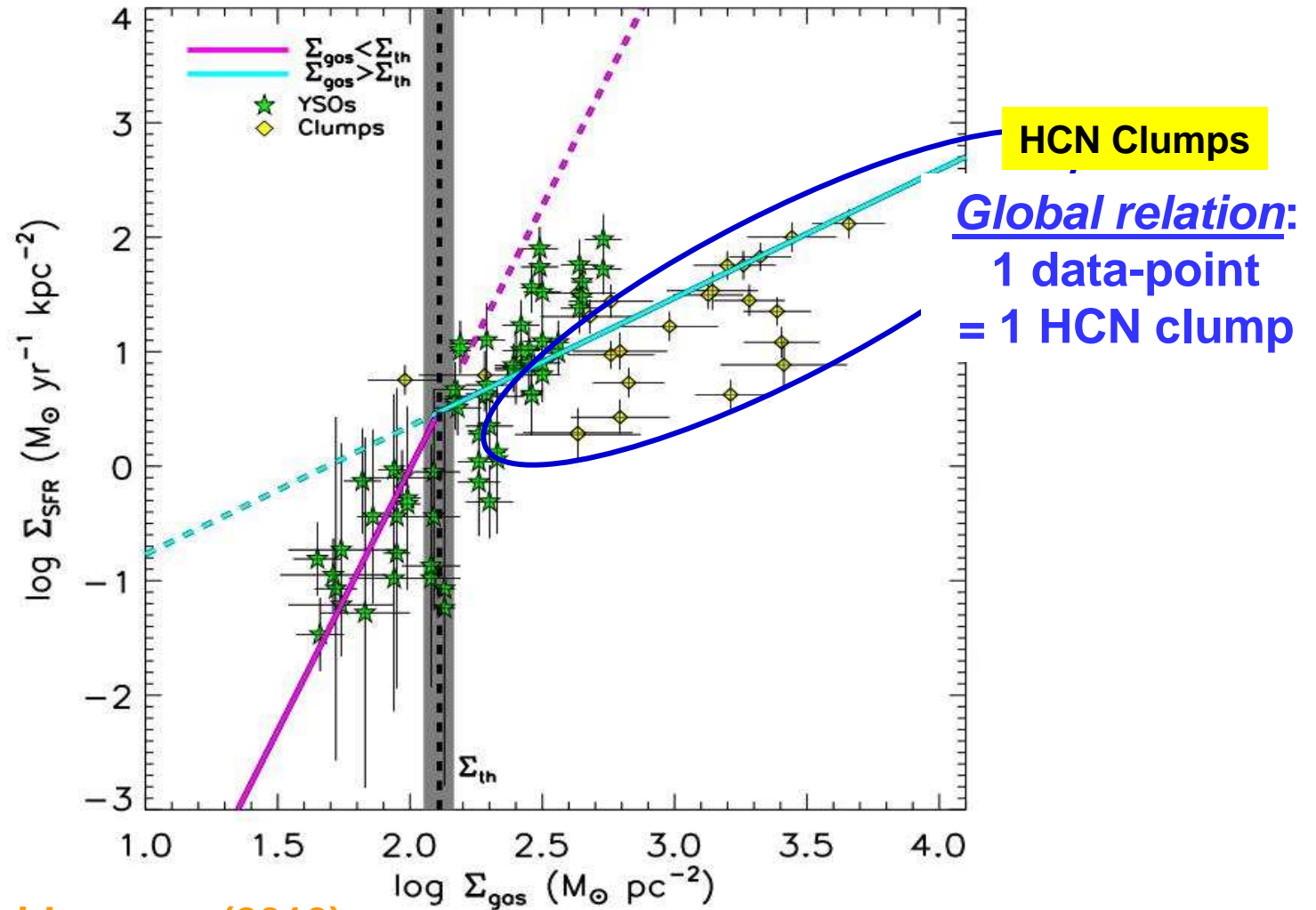
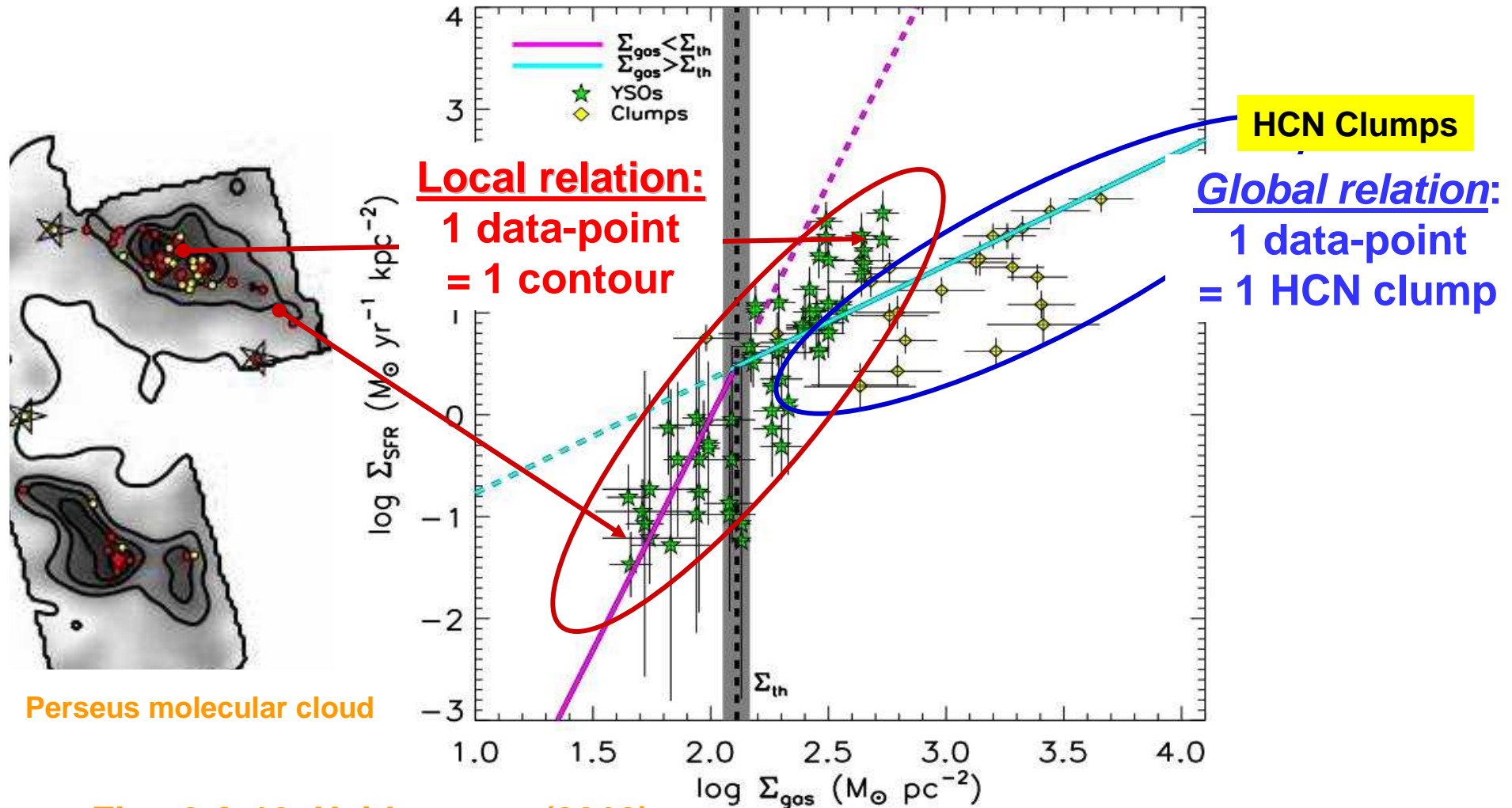


Fig. 10, Heiderman+ (2010)





Break-Point in Composite SF Relation

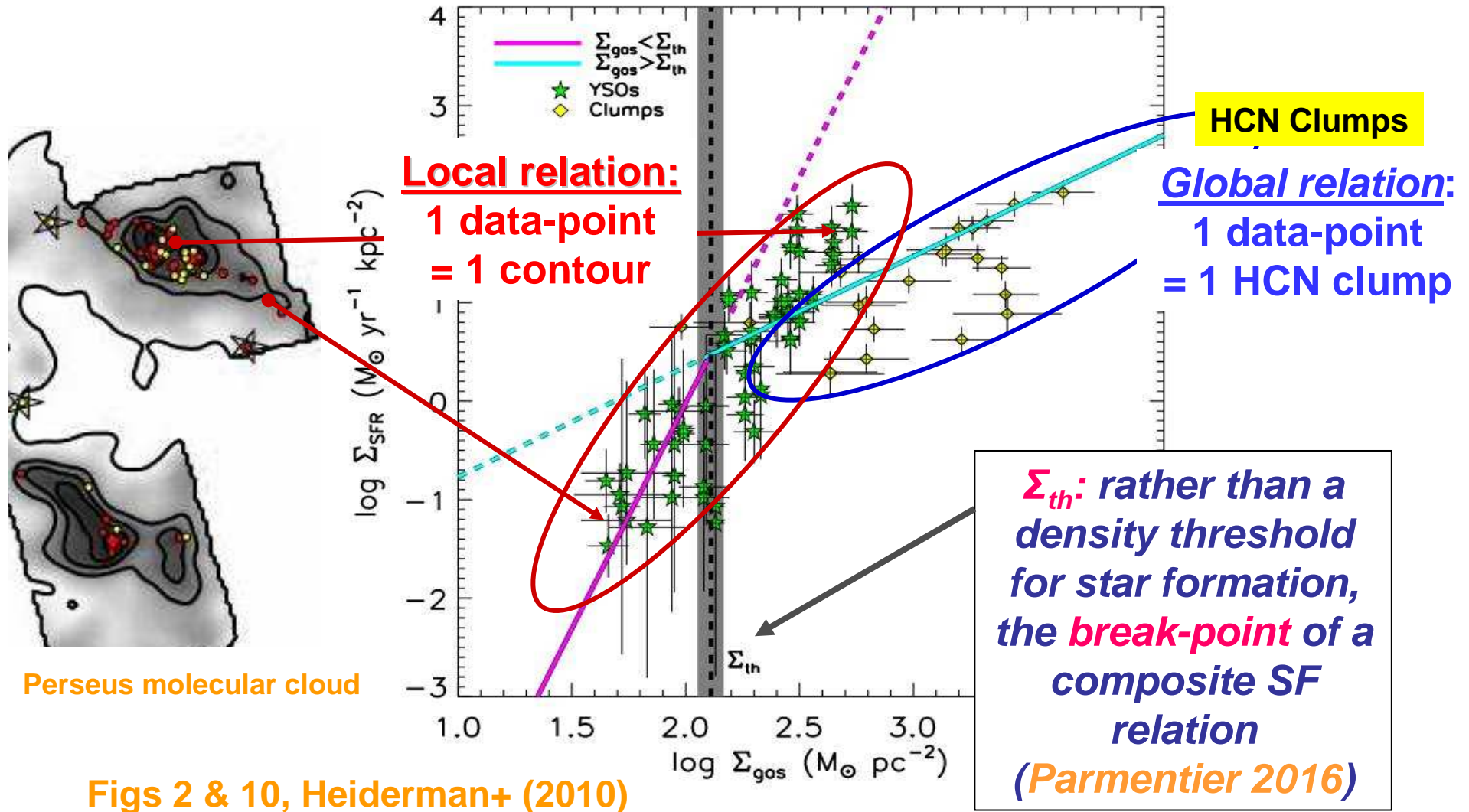


Figs 2 & 10, Heiderman+ (2010)





Interpretation of Break-Point





Star Formation Relations and Co.

Contour – by – contour :

$$\Sigma_{SFR} \approx \Sigma_{gas}^2$$

Clump – by – clump (constant $\langle \rho_{gas} \rangle$) :

$$\Sigma_{SFR} \propto \langle \Sigma_{gas} \rangle^1$$



Star Formation Relations and Co.

Shell – by – shell :

$$\rho_{SFR} \cong \epsilon_{ff} \frac{\rho_{gas}}{\tau_{ff}} \propto \epsilon_{ff} \frac{\rho_{gas}}{(\rho_{gas})^{-1/2}} \propto \rho_{gas}^{3/2}$$

Contour – by – contour :

$$\Sigma_{SFR} \approx \Sigma_{gas}^2$$

Clump – by – clump (constant $\langle \rho_{gas} \rangle$) :

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Star Formation Relations and Co.

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Contour – by – contour :

$$\Sigma_{SFR} \approx \Sigma_{gas}^2$$

Clump – by – clump (constant $\langle \rho_{gas} \rangle$) :

$$\Sigma_{SFR} \propto \langle \Sigma_{gas} \rangle^1$$

- ϵ_{ff} : the slope is not necessarily 1.5
- Slope $\neq 1.5$ does **not** imply that star formation does not proceed with a constant ϵ_{ff}



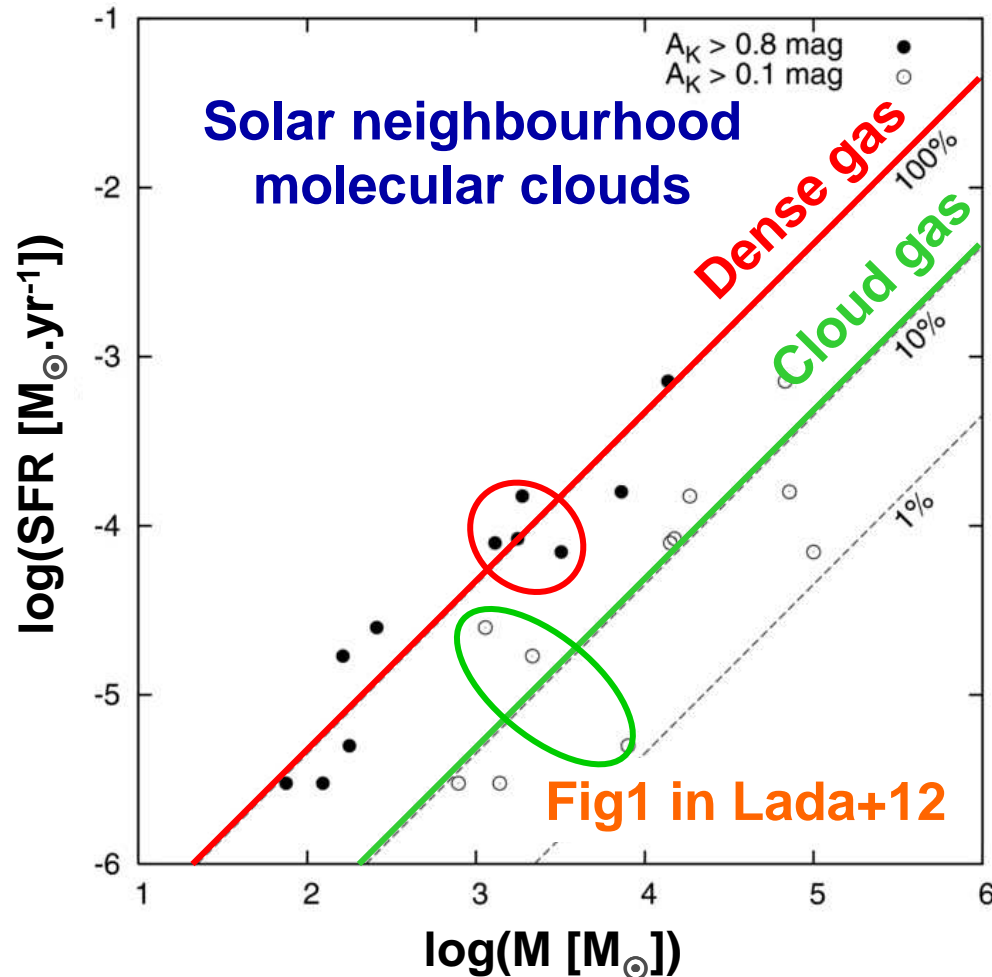
Take-Away Messages

- A composite SF relation is not an appropriate tool to decide on the existence of a density threshold for star formation (**Parmentier 2016**)
- The diversity of slopes of observed star formation relations depends on:
 - what is measured,
 - how it is measured,
 - on top of SF physics





The (Dense) Gas Mass - Star Formation Rate Relation



➤ Molecular clouds of the Solar neighbourhood. Their SFR is:

- tightly correlated with their dense gas mass (●)
- loosely correlated with their total mass (○)

➤ Dense-gas mass vs SFR linear relation:

- Gao & Solomon 2004
- Wu+2005, Wu+2010
- Lada+2012
- Vutisalchavakul+2016

➤ Hints for superlinear behaviour in (U)LIRGS and high-z galaxies

- Gao+ 2007
- Garcia-Carpo+ 2008
- Garcia-Burillo+ 2015





Star Formation Relation (m_{dg})

➤ Consider a grid of model clumps (m_{clump} , r_{clump})

■ Mass m_{clump} :
250 - $10^6 M_{\odot}$

■ Radius r_{clump} :
0.5 - 8 pc

■ Centrally-concentrated

$$\rho_{clump}(r) \propto r^{-2}$$

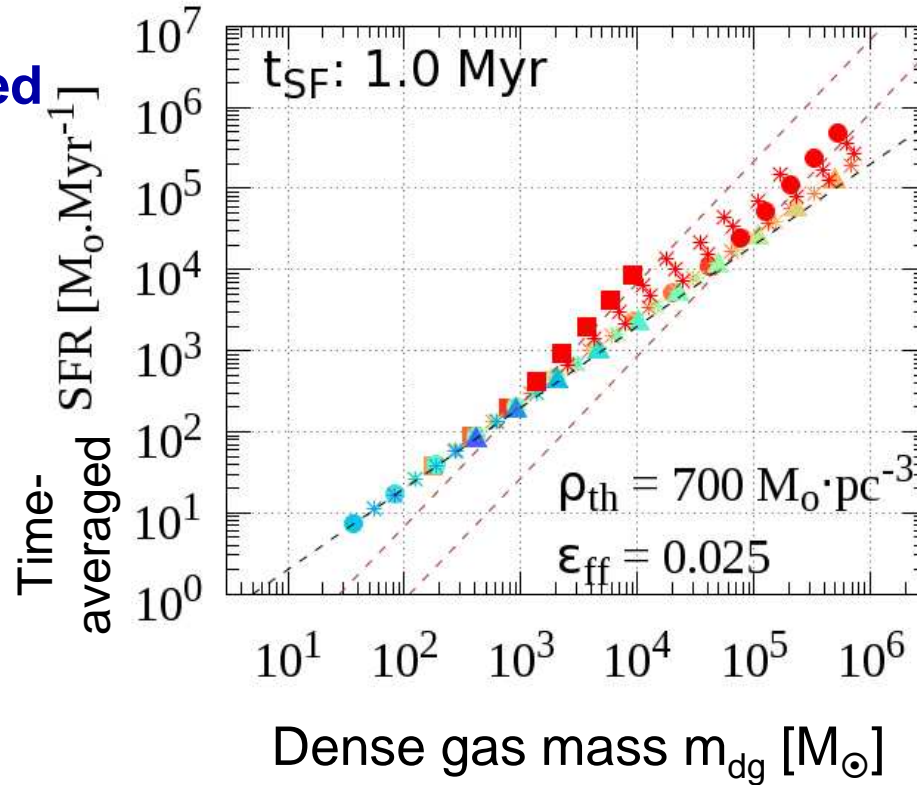
➤ Two 'families':

- Very dense clumps
- 'Not-so-dense' clumps

Based on Fig5,
Parmentier 2017

$$\langle \rho_{clump} \rangle = 1 M_{\odot} \cdot pc^{-3}$$

$$3000 M_{\odot} \cdot pc^{-3}$$

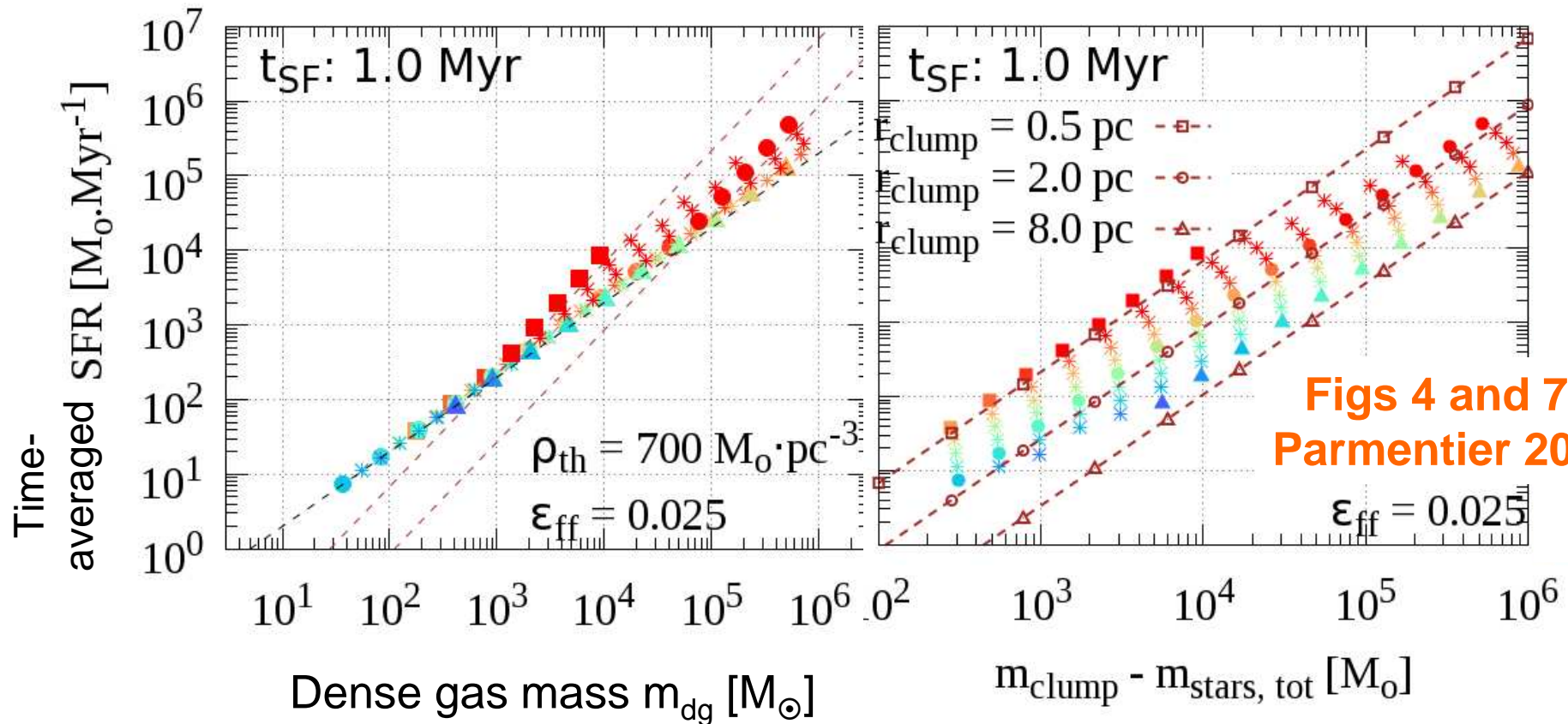




SF Relations with Dense and Total Gas Masses

$$\langle \rho_{clump} \rangle = 1 M_{\odot} \cdot pc^{-3}$$

$$3000 M_{\odot} \cdot pc^{-3}$$



Figs 4 and 7,
Parmentier 2017

With clump dense gas

With clump total gas





Take-Away Message

Local-density driven cluster formation models naturally reproduce:

- the tight linear star formation relation in terms of the clump dense-gas mass
- the loose star formation relation in terms of the clump total gas mass

as was observed by **Lada+2012**

Parmentier (2017)

